



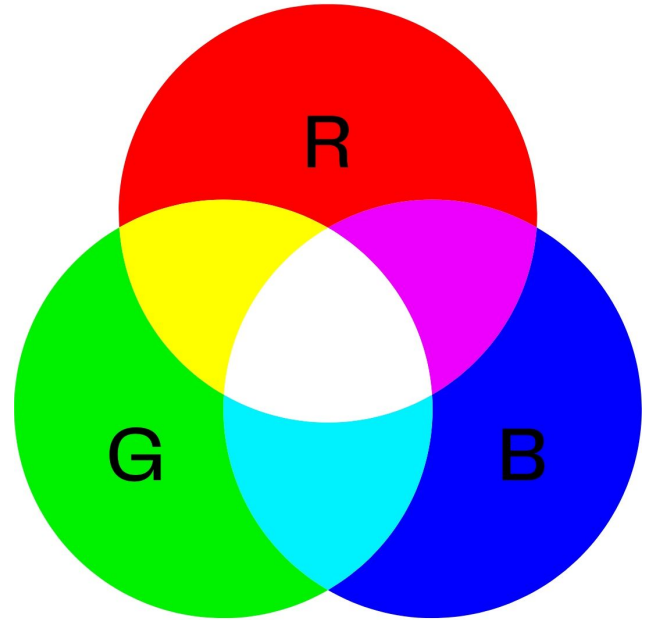
# Multispectral Rendering

Jonas Loeser, Dylan Carroll, Nic Preisig



## *What is Light?*

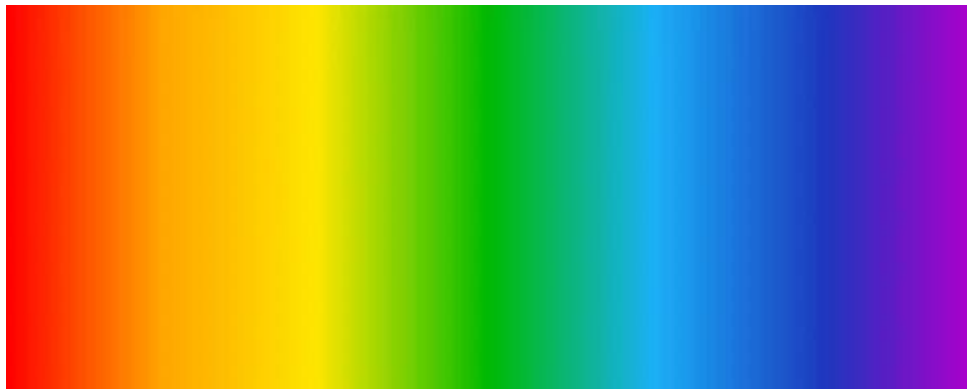
- RGB
  - Looks great
  - Easy to display





## *What is Light?*

- RGB
- Continuous Light Spectrum
  - Perfectly realistic





## *What is Light?*

- RGB
- Continuous Light Spectrum
- Bins
  - Storable + Computable





## *How do we track Light as a spectrum?*

- All rays carry spectra
  - Point, direction,  $\Rightarrow$  RGB
  - Point, direction  $\Rightarrow$  spectrum



## *How do we track Light as a spectrum?*

- All rays carry spectra
- All material reflect a spectrum
  - Each bin has its own “reflectance”
  - Ranging 0 to 1



## *How do we track Light as a spectrum?*

- All rays carry spectra
- All material reflect a spectrum
- Light sources produce a spectrum
  - White light is all light at some brightness
  - Colorful light is non-uniform composition



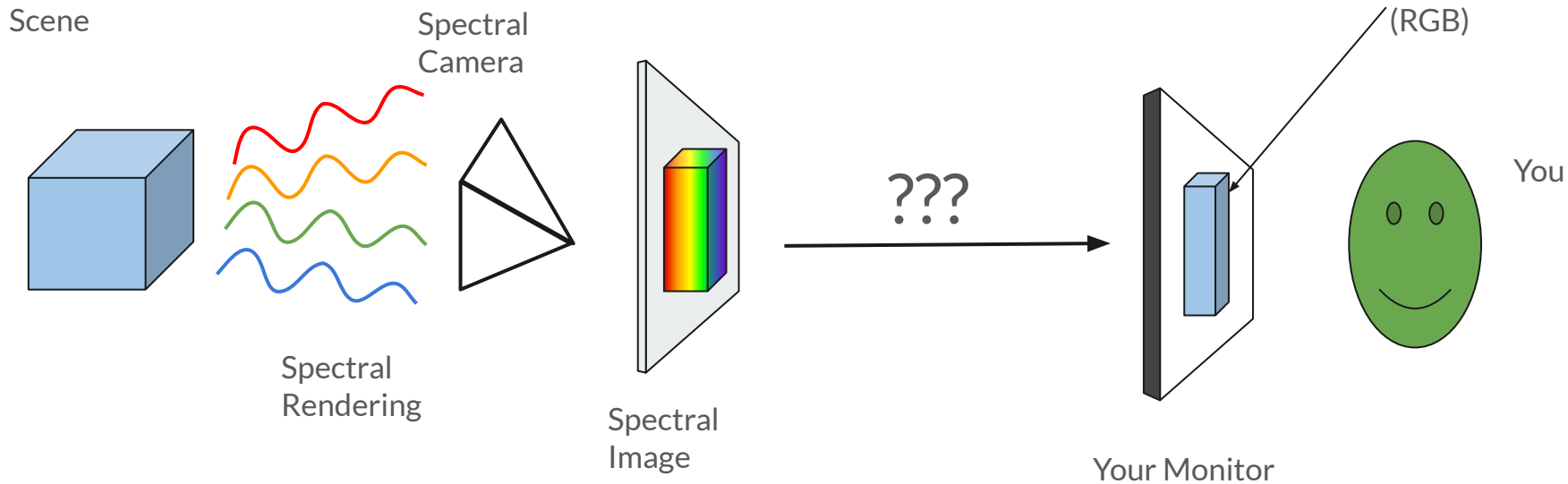
## *How do we track Light as a spectrum?*

- All rays carry spectra
- All material reflect a spectrum
- Light sources produce a spectrum
- Each pixel is left with a spectrum
  - How do we display a spectrum?

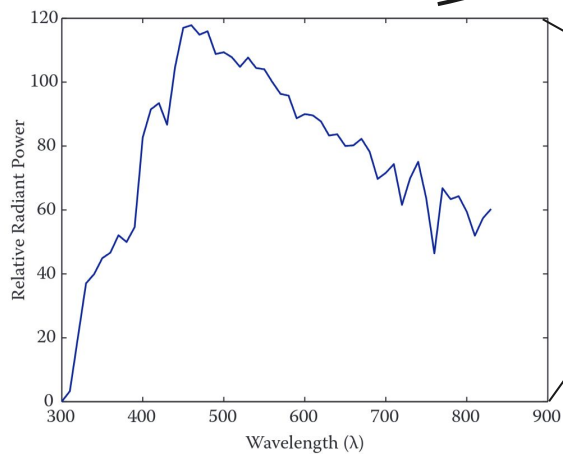




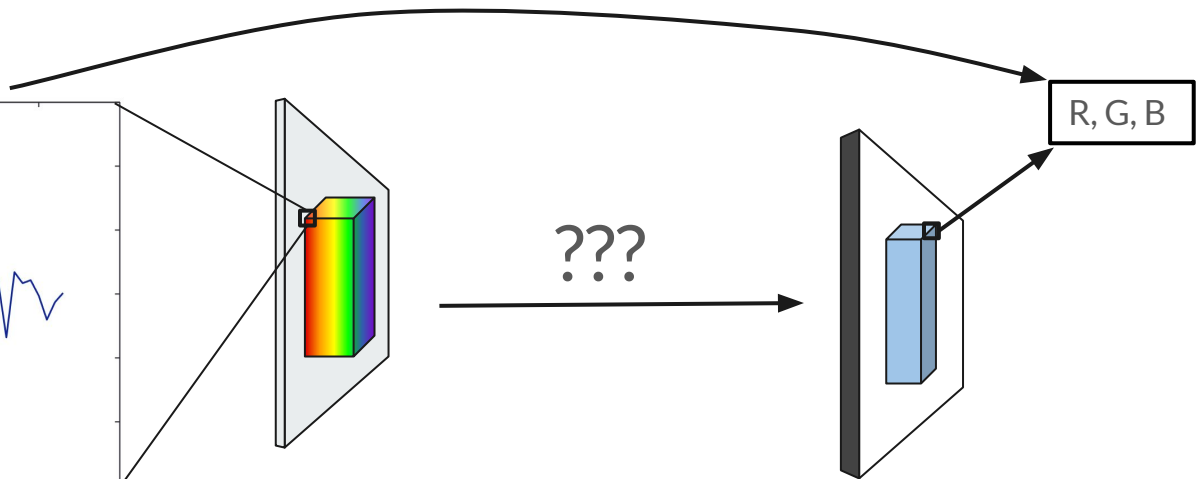
# *What if you want light in your eyes?*



What if you want light in your eyes?

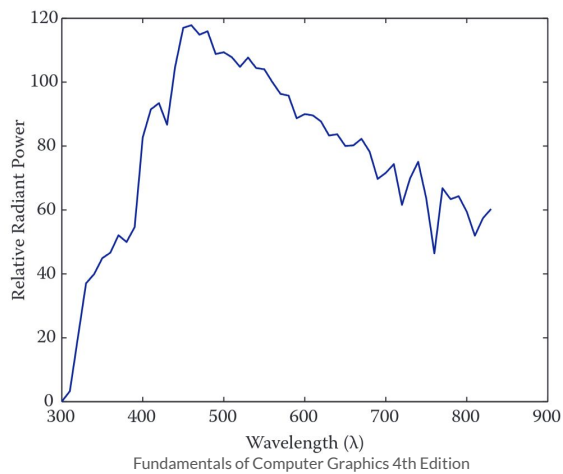


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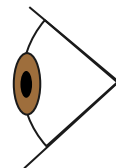


# *What if you want light in your eyes?*

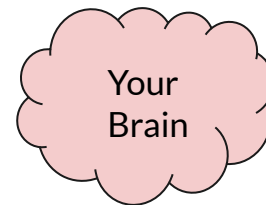


This is what your eyes do!

R, G, B



L, M, S



# What if you have light in your eyes?

Your eyes have two kinds of cells:

- Rods (dim light)
- Cones (bright light / color)

There are three kinds of cones

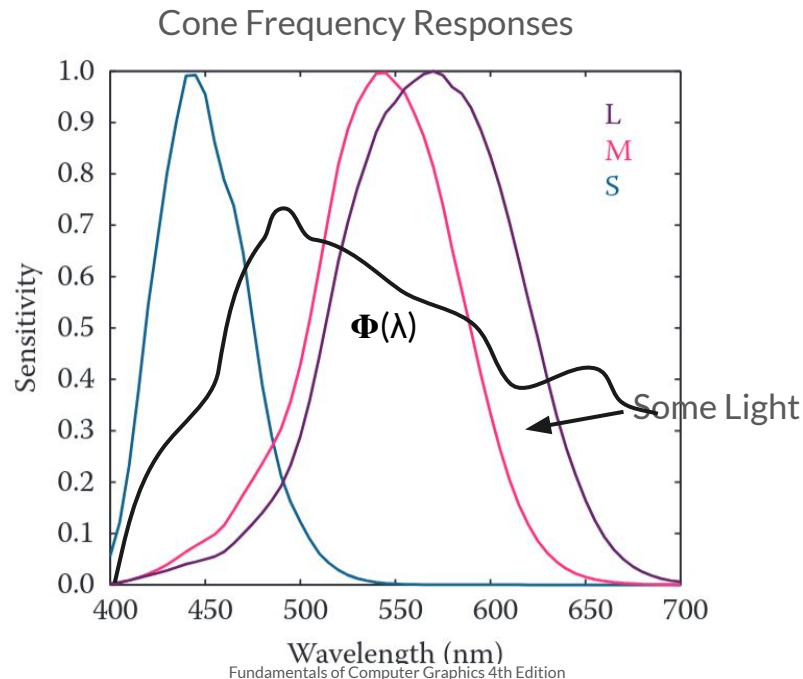
- L
  - Long wavelengths
- M
  - Medium Wavelengths
- S
  - You'll never guess
  - Short wavelengths

$$L = \int_{\lambda} \Phi(\lambda) L(\lambda) d\lambda,$$

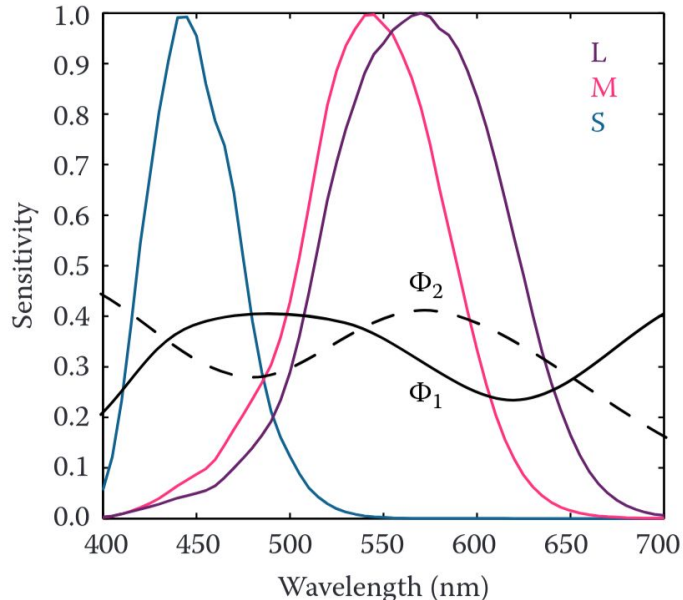
$$M = \int_{\lambda} \Phi(\lambda) M(\lambda) d\lambda,$$

$$S = \int_{\lambda} \Phi(\lambda) S(\lambda) d\lambda.$$

Cone Activation Values



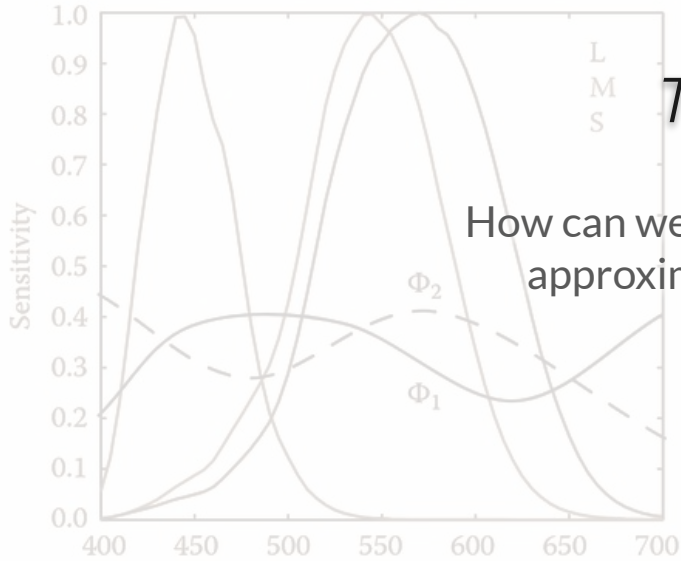
## What if you have light in your eyes?



There are multiple spectra that result in the same cone activations

$$\begin{aligned} L &= \int_{\lambda} \Phi_1(\lambda) L(\lambda) d\lambda, & = \int_{\lambda} \Phi_2(\lambda) L(\lambda) d\lambda, \\ M &= \int_{\lambda} \Phi_1(\lambda) M(\lambda) d\lambda, & = \int_{\lambda} \Phi_2(\lambda) M(\lambda) d\lambda, \\ S &= \int_{\lambda} \Phi_1(\lambda) S(\lambda) d\lambda. & = \int_{\lambda} \Phi_2(\lambda) S(\lambda) d\lambda. \end{aligned}$$

# How can we make light for your eyes?



There are multiple spectra that result in the same cone activations

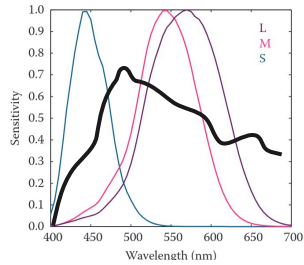
## Turn and Talk

How can we use this to find RGB values that approximate the full-spectrum color?

$$L = \int_{\lambda} \Phi_1(\lambda) L(\lambda) d\lambda, = \int_{\lambda} \Phi_2(\lambda) L(\lambda) d\lambda,$$
$$M = \int_{\lambda} \Phi_1(\lambda) M(\lambda) d\lambda, = \int_{\lambda} \Phi_2(\lambda) M(\lambda) d\lambda,$$
$$S = \int_{\lambda} \Phi_1(\lambda) S(\lambda) d\lambda. = \int_{\lambda} \Phi_2(\lambda) S(\lambda) d\lambda.$$

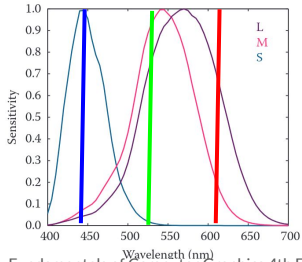
# How can we make light for your eyes?

A given spectrum



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We want some RGB Values



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$$L = \int_{\lambda} \Phi(\lambda) L(\lambda) d\lambda,$$
$$M = \int_{\lambda} \Phi(\lambda) M(\lambda) d\lambda,$$
$$S = \int_{\lambda} \Phi(\lambda) S(\lambda) d\lambda.$$

results in

Cone Activations

L  
M  
S

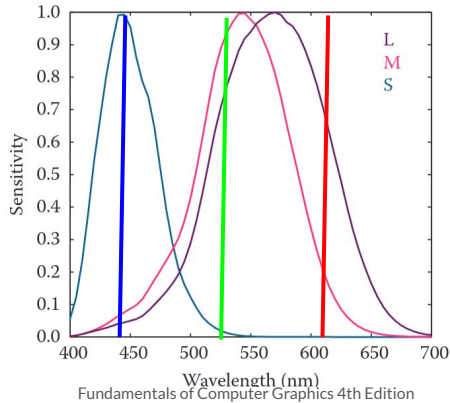
the same

RGB(??, ??, ??)

That results in

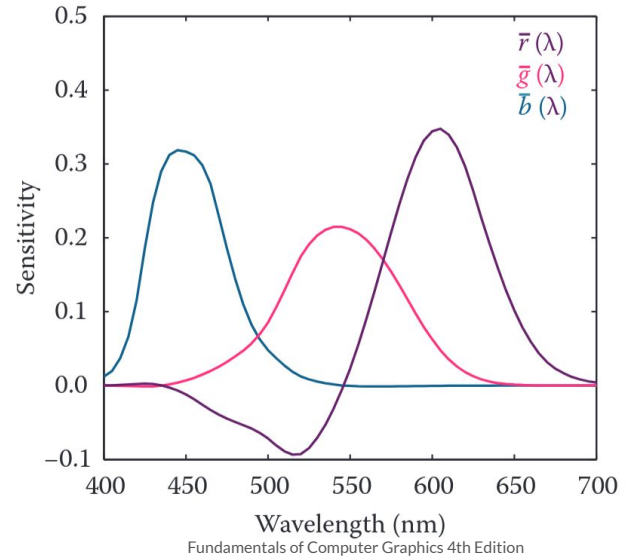
# How can we make light for your eyes?

Let R = 700.0 nm  
Let G = 546.1 nm  
Let B = 435.8 nm



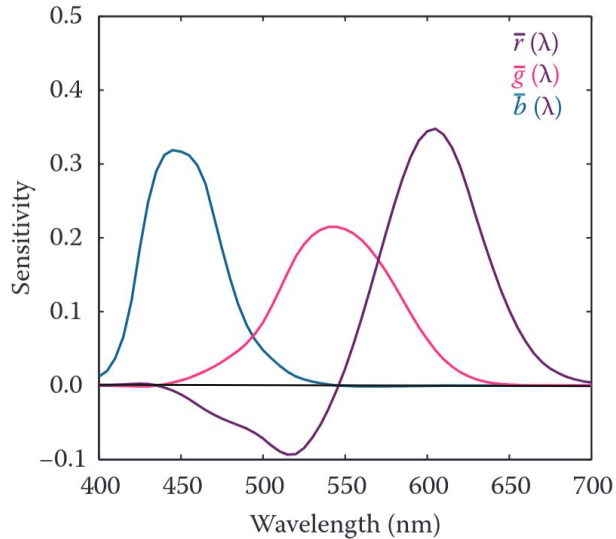
Do some fancy math...

$$\int_{\lambda} \Phi_1(\lambda) \bar{r}(\lambda)$$
$$\int_{\lambda} \Phi_1(\lambda) \bar{g}(\lambda)$$
$$\int_{\lambda} \Phi_1(\lambda) \bar{b}(\lambda)$$





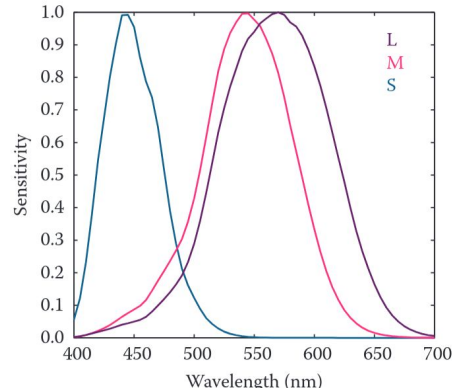
# How can we make light for your eyes?



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Negative values?

- Yup, RGB isn't a perfect color space
- Only approximates all wavelengths



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There's a lot of overlap in the L and M cones...



## Section 3 Outcomes

This allows simple implementations of prisms and fluorescence!

Colored light!

How is this simpler

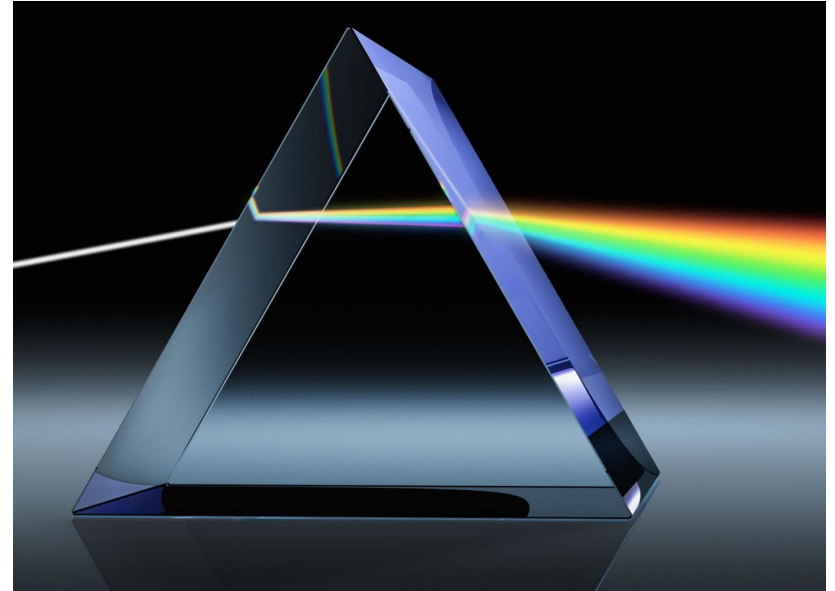
Why isn't this done though

How is it done in practice then

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## *What does this let us do?*

By making our ray tracer more accurate to real life, more phenomena can be depicted without any major overhauls:



Britannica - Prism Optics

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## *What does this let us do?*

By making our ray tracer more accurate to real life, more phenomena can be depicted without any major overhauls:

- Filtered Light

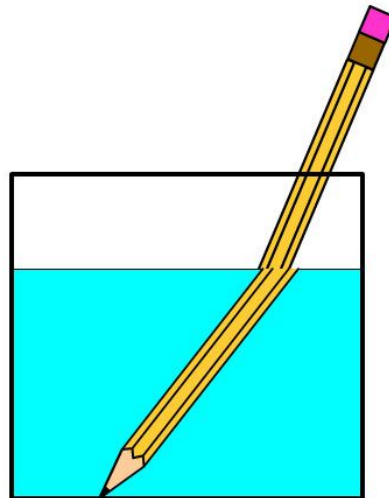


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## *What does this let us do?*

By making our ray tracer more accurate to real life, more phenomena can be depicted without any major overhauls:

- Filtered Light
- Refraction

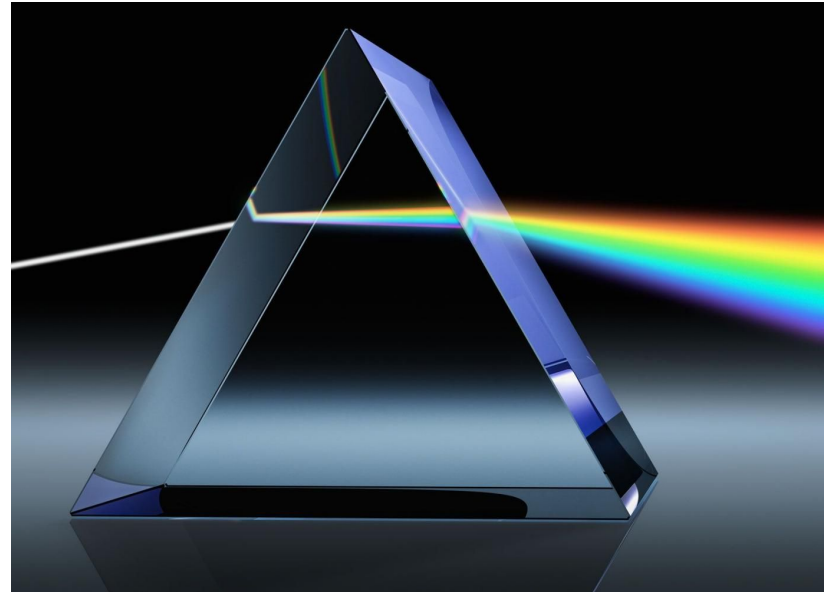


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## *What does this let us do?*

By making our ray tracer more accurate to real life, more phenomena can be depicted without any major overhauls:

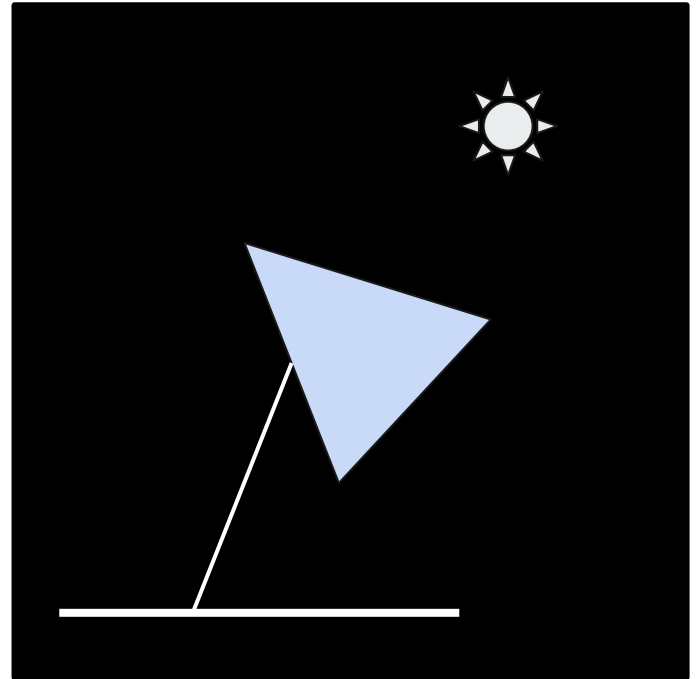
- Filtered Light
- ~~Refraction~~ Prisms



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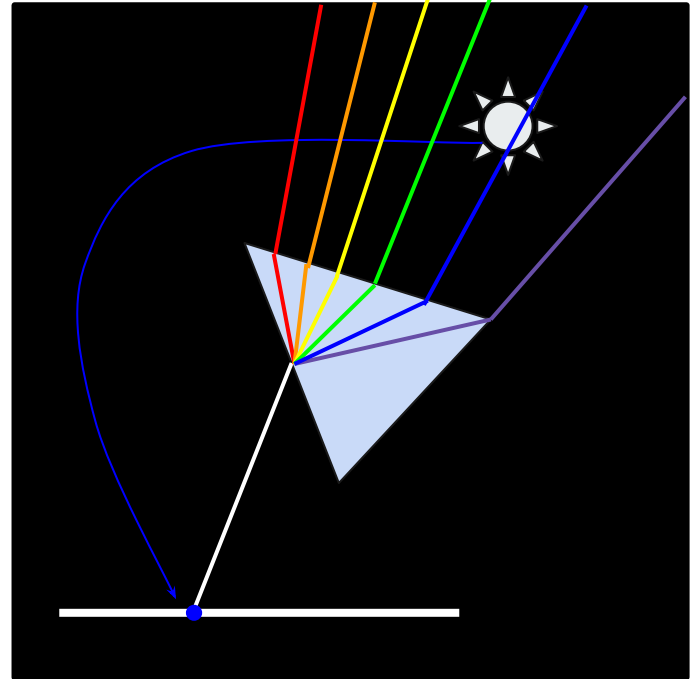


# Prisms





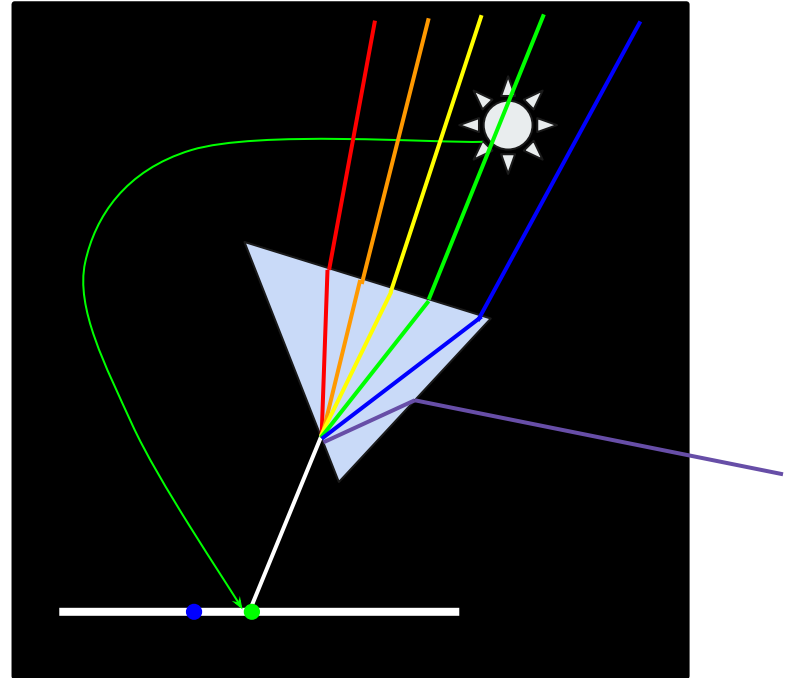
# Prisms





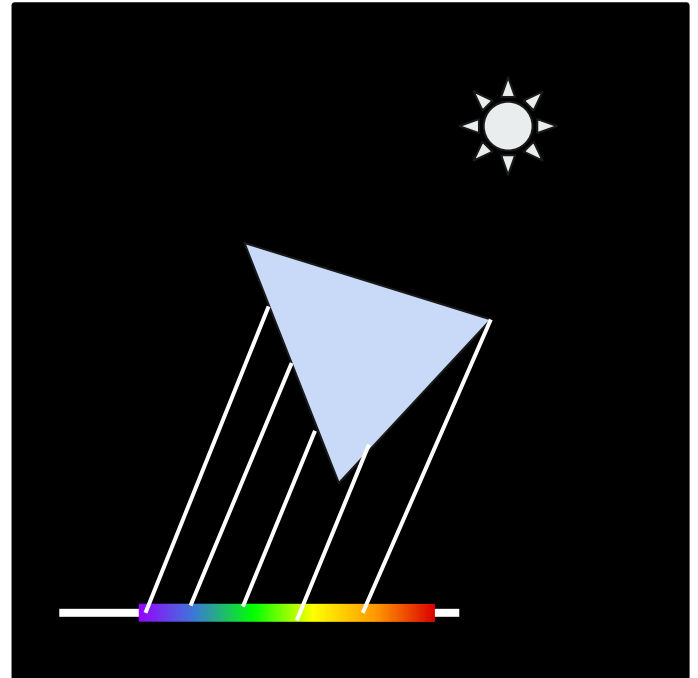


# Prisms





# Prisms



# Fluorescence

- Objects usually reflect light at the same frequency they absorb.
- In fluorescence, objects emit light at higher wavelengths than absorbed.
- The Stokes shift causes fluorescent objects to re-emit light at a longer wavelength.
- Multispectral rendering can simulate this process directly in the ray tracer.



Art in nature: Moonlight Fossicking



*Why **you** will regret this* 🙌

- Computationally expensive
- Limited perceptible differences
- Fewer existing libraries



## *Conclusion*

- More realistic
- More flexible
- More useful than RGB



*Questions?*