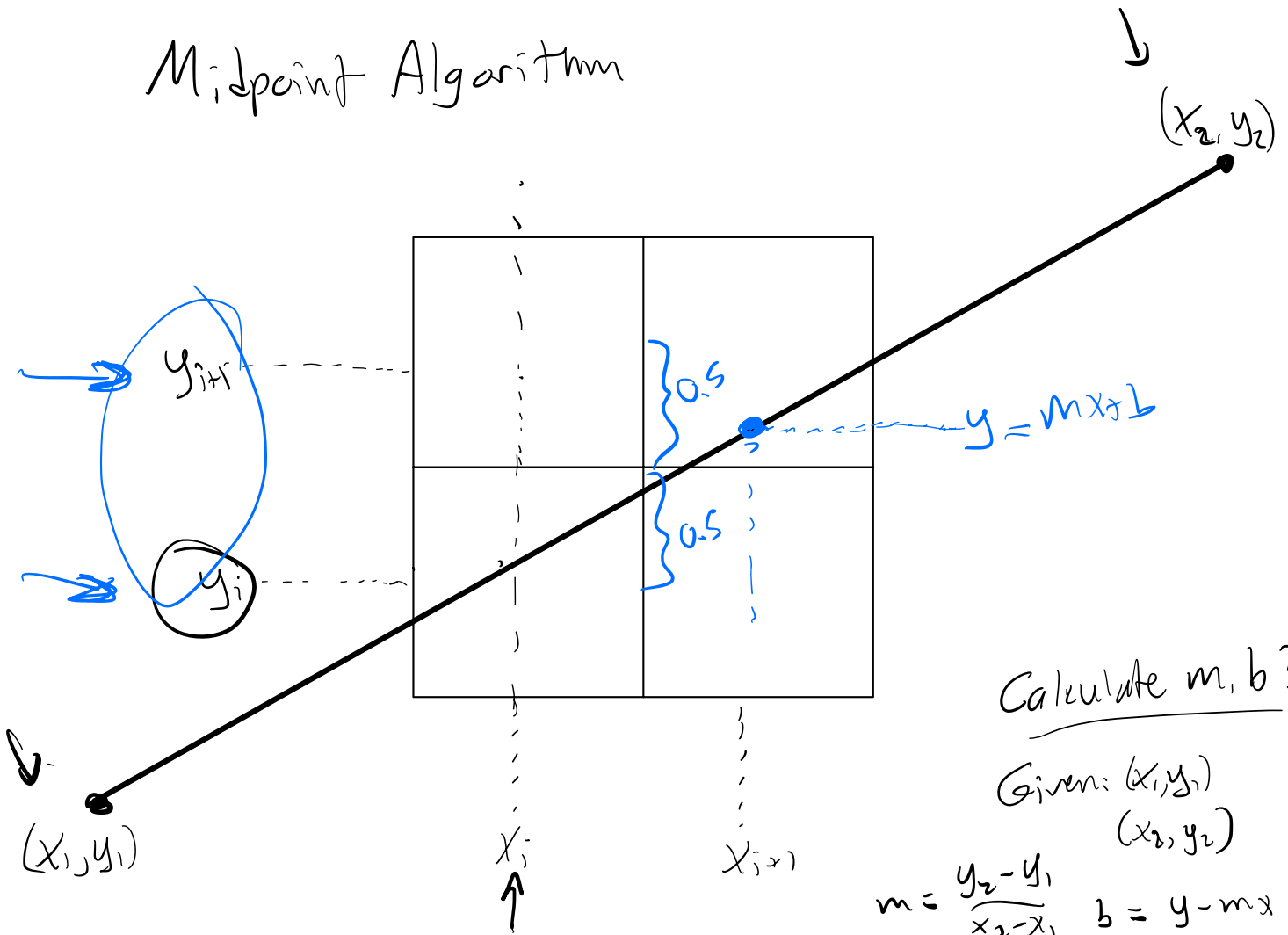


Midpoint Algorithm



Calculate m, b ?

Given: (x_1, y_1)
 (x_2, y_2)

$$m = \frac{y_2 - y_1}{x_2 - x_1}$$

$$b = y - mx$$

$$b = y_1 - mx_1$$

Slow-line(P_1, P_2):

// compute m, b

for $x = \text{ceil}(x_1) : \text{floor}(x_2)$:

$$y = b + mx$$

draw($\underbrace{x}_{x}, \underbrace{\text{round}(y)}_y$)

Efficiency?

1 add
1 mult
1 round

fast_line(p_1, p_2):

// compute m, b

$$y = b + m \cdot x_{min}$$

for $x = \text{ceil}(x_1) : \text{floor}(x_2)$:

$$y += m$$

draw($x, \text{round}(y)$)

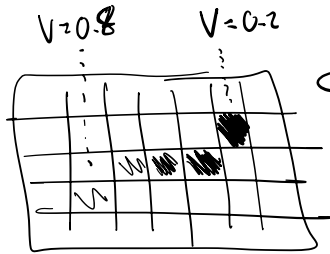
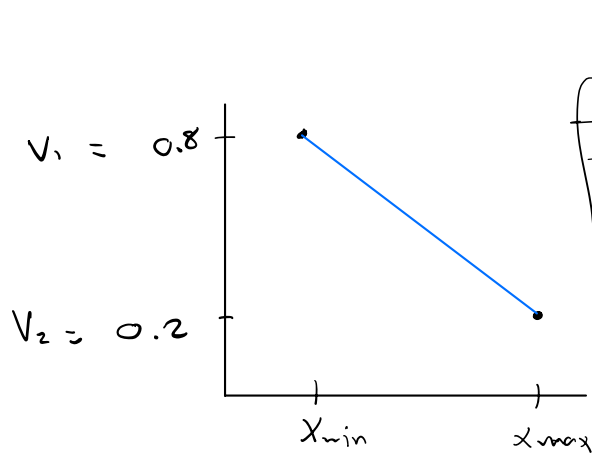
Efficiency?

Interpolating Values

Given $P_1 = (x_1, y_1)$ and $P_2 = (x_2, y_2)$ and V_1, V_2 ,
 Scalar values of some attribute at the endpoints,

e.g. color

interpolate values at each pixel drawn.



colored line (P_1, P_2, V_1, V_2) :

// calc m, b

// calc m_v, b_v

for $x = x_{min} : x_{max}$:

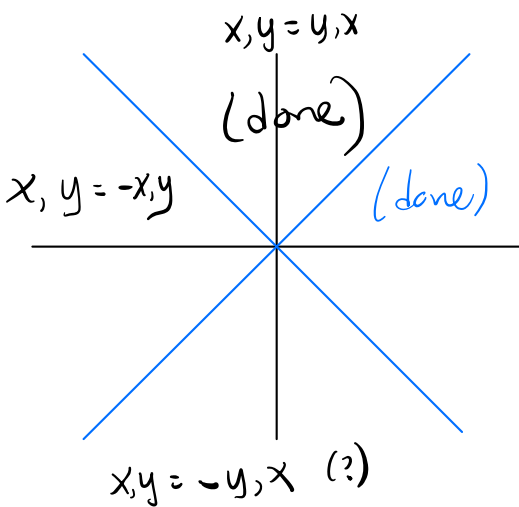
$$y = mx + b$$

$$v = m_v x + b_v$$

draw $(x, \text{round}(y), v)$

octants?

Other Quadrants



Parametric view:

$$V(x) = V_1 + \frac{x - x_1}{x_2 - x_1} (V_2 - V_1)$$

$$V_1 + t (V_2 - V_1)$$

$$V(t) = (1-t)V_1 + t(V_2)$$

