CSCI 141

Lecture 16 Finishing up Functions: Returning Early Tuples Function Composition and Managing Complexity

Happenings

- Tuesday, 5/14 <u>Peer Lecture Series: Unity Workshop</u>
- 4 pm in CF 165
- Tuesday, 5/14 <u>AIA Presents: AI in Education</u>
- 6 pm in PH 228
- Wednesday, 5/15 <u>Cybersecurity Lecture Series: Weaponizing</u> <u>Unicode with Aaron Brown</u>
- -- 5 pm in CF 105

Wednesday, 5/15 – <u>Scholars Week, University Distinguished</u> Lectures: Dr. Brian Hutchinson and The Broad Applicability of Deep Learning

– 5 pm in Carver 104

Announcements

- Midterm grades are not out yet. Working on it, and they'll be out ASAP.
- Get started on A4 soon: Demo in class today.
 - Due 1 week from today.

Goals

- Understand the basic usage of tuples:
 - using tuples to return multiple values from a function
 - packing and unpacking via the assignment operator
- Begin to understand how to use function composition to express complicated computations as clearly and simply as possible.

Function Calls: A Model for Execution

```
def axpy(a, x, y):
    """ Print a * x + y """
    product = a * x
    result = product + y
    return result
```

```
al = 2
xl = 3
print(axpy(al, xl, 4))
```

```
1. Evaluate all arguments
```

- 2. Assign argument values to parameter variables
- 3. Execute the function body
- 4. When done, replace the function call with its return value.

Variable Scope: Reminder

```
def print_rectangle_area(width, height):
    """Print area of width-by-height rectangle"""
    area = width * height
    print(area)
w = 4
h = 3
print_rectangle_area(w, h)
```

Facts:

- width and height are parameters
- area is a local variable
- w, and h are global variables
- All parameters are **also** local variables
- The scope of local variables is limited to the function they're defined in.

A note on the order of function definitions

def a():
 return 10

def b():
 return a() * 10

b()

Not much interesting going on here.

A note on the order of function definitions



b()

- b calls a in its definition
- The call isn't *executed* until b is called
- As long as a has been defined by the time b is *called*, this is fine.

Today's Quiz

• 3 minutes

Today's Quiz

- 3 minutes
- Working with a neighbor: do your answers agree? (2 minutes)

Returning values

New statement: the **return** statement

Syntax: **return** *expression*

(can **only** appear inside a function definition)

Behavior:

1. expression is evaluated

2. the function stops executing further statements

3. the value of expression is returned i.e., the function call **evaluates** to the returned value

Returning Early: Demo

Returning Early: Demo

def midpoint(plx, ply, p2x, p2y): """ Return the midpoint between (plx, ply) and (p2x, p2y)

11 11 11

code here



(mid_x, mid_y)

This is **two** things!? Can we return two things?

def midpoint(p1x, p1y, p2x, p2y):
 """ Return the midpoint between
 (p1x, p1y) and (p2x, p2y)

11 11 11

code here
mid_x = . .
mid_y = . .

 (mid_x, mid_y)

def midpoint(plx, ply, p2x, p2y):
 """ Return the midpoint between
 (plx, ply) and (p2x, p2y)

// // //

code here
mid_x = . . .
mid_y = . .

(mid_x, mid_y)

return mid_x, mid_y

Returning Multiple Values

 You can return multiple values from a function by grouping them into a commaseparated sequence:

return mid_x, mid_y

 You can assign each to a variable when calling the function:

mx, my = midpoint(p1x, p1y, p2x, p2y)

These are actually tuples

 A tuple is a sequence of values, optionally enclosed in parens.

(of any types!)

(1, 4, "Mufasa")

You can "pack" and "unpack" them using assignment statements:

v = (1, 4, "Mufasa") # packing

(a, b, c) = v # "unpacking"

These are actually tuples

Tuples can also be passed *into* functions as arguments:

```
def midpoint(p1, p2):
    """Compute the midpoint between p1 and p2"""
    plx, p1y = p1
    p2x, p2y = p2
```

```
# . . .
# return mx, my
```

Tuples: Demo

Tuples: Demo

- assignment, packing, unpacking
- with and without parens (printing)
- swapping
- equality
- mismatched # values to unpack

ABCD: Tuples

See code example (tuples_abcd.py)



def midpoint(plx, ply, p2x, p2y):
 """ Return the midpoint between
 (plx, ply) and (p2x, p2y)

11 11 11

return mid_x, mid_y

Midpoint Function # mid_x = . . . # mid_y = . . .

 $(p2_x, p2_y)$

Okay, but how do you actually calculate this?

 $(mid_x, mid_y) - mid_y$ $(p1_x, p1_y) mid_x$

 $mid_x = (p1_x + p2_x) / 2$ $mid_y = (p1_y + p2_y) / 2$

(on the board)

Demo: writing the midpoint function

- With tuple as return value
- Switch to tuples as parameters for points

Why write functions?

- The convenience of repetition:
 - you can define a function once then call it as many times as you want
 - Example: using **turtle_square** to create a snowflake
- The power of *customized* repetition:
 - you can define a function that takes arguments to customize the task it performs: this is powerful!
 - Example: using **draw_polygon** to draw an any-sided polygon
- The clarity of abstraction via function composition.
 - We can hide complexity behind simple function calls to make complicated calculations easier to think about and write.

Here's a made-up equation:

final_result = (a + b)**2 - d / / 12 + (a**2 - 0.5*a*c) + alpha * (dx**2 + dy**2)

It's pretty incomprehensible, even if you do know what a, b, d, c, alpha, dx, and dy mean.

Here's a nicer way to write it:

x = (a + b) * * 2 - d / / 12y = (a**2 - 0.5*a*c) z = alpha * (dx**2 + dy**2)

final_result = x + y + z

Here's a made-up equation:

final_result = (a + b) * 2 - d / 12 + (a * 2 - 0.5 * a * c) + alpha * (dx * 2 + dy * 2)

What if x, y, and z weren't expressions, but more complicated computation requiring (for example) for loops to compute? def calc_x(a, b, d):
 # calculation of x

```
def calc_y(a, c):
    # calculation of y
```

```
def calc_z(alpha, dx, dy):
    # calculation of z
```

```
x = calc_x(a, b, d)
y = calc_y(a, c)
z = calc_z(alpha, dx, dy)
final_result = x + y + z
```

Here's a made-up equation:

final_result = (a + b) * 2 - d / 12 + (a * 2 - 0.5 * a * c) + alpha * (dx * 2 + dy * 2)

What if x, y, and z weren't expressions, but more complicated computation requiring (for example) for loops to compute?

What if this is just an intermediate result that goes into an even **larger** calculation?

def calc_x(a, b, d):
 # calculation of x

def calc_y(a, c):
 # calculation of y

```
def calc_z(alpha, dx, dy):
    # calculation of z
```

```
x = calc_x(a, b, d)
y = calc_y(a, c)
z = calc z(alpha, dx, dy)
intermediate_result = x + y + z
```

Here's a made-up equation:

```
final_result = (a + b)**2 - d / / 12 + (a**2 - 0.5*a*c) + alpha * (dx**2 + dy**2)
```

What if x, y, and z weren't expressions, but more complicated computation requiring (for example) for loops to compute?

What if this is just an intermediate result that goes into an even **larger** calculation?

```
def calc_x(a, b, d):
    # calculation of x

def calc_y(a, c):
    # calculation of y
```

```
def calc_z(alpha, dx, dy):
    # calculation of z
```

```
def calc_gamma(a,b,c,d,alpha,dx,dy):
    x = calc_x(a, b, d)
    y = calc_y(a, c)
    z = calc_z(alpha, dx, dy)
    return x + y + z
```

A4



A4: Pseudocode

Let p be a random point in the window # loop 10000 times:

- # c = a random corner of the triangle
- # m = the midpoint between p and c
- # choose a color for m
- # color the pixel at m
- # p=m

A4: Demo

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A4: Demo

Let p be a random point in the window # loop 10000 times:

#	С	=	а	random	corner	of	the	triang	Le
---	---	---	---	--------	--------	----	-----	--------	----

- # m = the midpoint between p and c
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- # color the pixel at m

p=m

Demo:

- solution in action
- making up function names